

EC933-G-AU – Lecture 1  
12 October 2005

# Basic Notions of Open-Economy Macroeconomics

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# Plan of talk

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- **introduction**

1. Old and new approaches to international finance
2. The exchange rate and the forex market
3. International interest(-rate) parity conditions: CIP&UIP
4. The balance of payments and forex reserves
5. Central bank balance sheet and intervention policy
6. Real and financial flows in the open economy: an accounting matrix

- **wrap-up**

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# Aim and learning outcomes

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- **aim:** revise the basic notions of open-economy macroeconomics
- **learning outcomes**
  - distinguish old vs. new approaches to international finance
  - recall definitions and interpretations of the most essential concepts related to
    - the exchange rate
    - the balance of payments
  - summarise the real and financial flows in the open economy by a simple but comprehensive accounting matrix

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# Old and new approaches to IF/OEM

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- **name** of course: *nuances* in the meaning of labels but *similar* field
  - international finance
  - international monetary economics
  - open-economy macroeconomics
  - international macroeconomics
- **subject** of course
  - delineated by this *common field* where the labels overlap
  - roughly, theories and policies of *BoP* and *XR* determination and adjustment
- **approaches** to the subject/field: *SOE* (PE) vs. *two-country* (GE)
  - *old /traditional/*: considers BoP as a phenomenon to be studied as such, by exploring the specific *determinants* of trade and financial flows
  - *new /modern/*: views trade and financial flows as the *outcome* of inter-temporally optimal saving-investment decisions by forward-looking agents

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# Bilateral NER: depreciation/appreciation

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- the **relative price** b/n two national *currencies*
- therefore, can be expressed **reciprocally**

$$\underbrace{S_t^{H/F} \equiv \frac{n \text{ units of domestic currency}}{1 \text{ unit of } \textit{foreign} \text{ currency}}}_{\text{price quotation system: } \textit{price of foreign currency} \text{ in terms of home currency}}$$

1.069 (USD per 1 EUR)  
1.621 (USD per 1 GBP)  
0.00868 (USD per 1 JPY)

**or**

$$\underbrace{S_t^{F/H} \equiv \frac{n \text{ units of foreign currency}}{1 \text{ unit of } \textit{domestic} \text{ currency}}}_{\text{volume quotation system: } \textit{price of home currency} \text{ in terms of foreign currency}}$$

0.93545 =  $\frac{1}{1.069}$  (EUR per 1 USD)  
0.6169 =  $\frac{1}{1.621}$  (GBP per 1 USD)  
115.20737 =  $\frac{1}{0.00868}$  (JPY per 1 USD)

*price* quotation system: *price of foreign currency* in terms of home currency

*volume* quotation system: *price of home currency* in terms of foreign currency

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# Arbitrage on (foreign) currencies

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- **definition**

- *simultaneous* buying and selling of foreign currencies (under no costs)
- to profit from *discrepancies* b/n the exchange rate of the same currencies
- existing at the *same* moment but in *different* financial centres

- consistency /neutrality/ condition and **two-point** arbitrage

$$S_t^{H/F} S_t^{F/H} = S_t^{F/H} S_t^{H/F} = 1$$

- direct and indirect /cross/ (exchange) rates and **triangular** /**three-point**/ arbitrage

$$\underbrace{S_t^{i/j}} = \underbrace{S_t^{i/k} S_t^{k/j}}$$

*direct* rate    *indirect /cross/* rate

$$S_t^{i/j} S_t^{j/k} S_t^{k/i} = 1 \text{ or } S_t^{j/i} S_t^{i/k} S_t^{k/j} = 1$$

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# Bilateral RER: possible definitions

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- PPP-related definition

$$q_t^{PPP} \equiv \frac{S_t P_t^*}{P_t} = \frac{P_t^*}{\frac{P_t}{S_t}} \text{ or, reciprocally, } \frac{1}{q_t^{PPP}} \equiv \frac{P_t}{S_t P_t^*} = \frac{\frac{P_t}{S_t}}{P_t^*}$$

- tradables-nontradables-related definition

$$q_t^{T/N} \equiv \frac{S_t P_{Tt}^*}{P_{Nt}} \text{ or, reciprocally, } q_t^{N/T} \equiv \frac{1}{q_t^{T/N}} \equiv \frac{P_{Nt}}{S_t P_{Tt}^*}$$

- ToT- (or exportables-importables)-related definition

$$q_t^{IM/EX} \equiv \frac{S_t P_{IMt}^*}{P_{EXt}} = \frac{\frac{P_{IMt}^*}{P_{EXt}}}{\frac{S_t}{1}} \text{ or, reciprocally, } q_t^{EX/IM} \equiv \frac{1}{q_t^{IM/EX}} \equiv \frac{P_{EXt}}{S_t P_{IMt}^*} = \frac{\frac{P_{EXt}}{S_t}}{P_{IMt}^*}$$

- ULC-related definition

$$q_t^{ULC} \equiv \frac{S_t W_t^*}{W_t} = \frac{\frac{W_t^*}{W_t}}{\frac{S_t}{1}} \text{ or, reciprocally, } \frac{1}{q_t^{ULC}} \equiv \frac{W_t}{S_t W_t^*} = \frac{\frac{W_t}{S_t}}{W_t^*}$$

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# A refinement on bilateral RER and extension to multilateral NER and REER

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- a refined empirical definition of bilateral RERs

$$q_t^{Emp} \approx \frac{S_t P_t^{*PPI}}{P_t^{CPI}} = \frac{P_t^{*PPI}}{\frac{P_t^{CPI}}{S_t}} \text{ or, reciprocally, } \frac{1}{q_t^{Emp}} \approx \frac{P_t^{PPI}}{S_t P_t^{*CPI}} = \frac{\frac{P_t^{CPI}}{S_t}}{P_t^{*PPI}}$$

- MNER or NEER index (number)

$$NEER_{it} \equiv MNER_{it} \equiv \sum_{j=1, j \neq i}^n \omega_j S_t^{i/j}, \quad \sum_{j=1, j \neq i}^n \omega_j = 1$$

- MRER or REER index (number)

$$REER_{it} \equiv MRER_{it} \equiv \sum_{j=1, j \neq i}^n \omega_j q_t^{i/j}, \quad \sum_{j=1, j \neq i}^n \omega_j = 1$$

- NEER and REER depreciation/appreciation



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# The forex market(s)

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- **spot** market: transactions for *immediate* (two work days) delivery
  - **forward** market and hedging
    - main function: allow economic agents to cover against /hedge/ risk
    - transactions for *future* delivery (at maturity) but exchange rate *fixed* at  $F_t$
    - **forward margin**: *premium* if negative or *discount* if positive
- $$\equiv \frac{F_t - S_t}{S_t}$$
- **swap** market: repurchase (or resale) agreements
    - i.e. first sell then repurchase (or first buy then resale) at a *future* date with the price of both current and future transaction *preset*
    - swap rate: implied by the difference in the preset prices
  - **derivative** market: futures and options
  - **eurocurrency** (xenocurrency) market: eurodollars, USSR, UK
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# Interest(-rate) parity conditions: CIP & UIP

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- spot, forward and eurocurrency rates are mutually dependent through **CIP**

$$1 + \iota_t = (1 + \iota_t^*) \frac{F_t}{S_t}$$

$$\iota_t \approx \iota_t^* + f_t - s_t$$

- empirical evidence *confirms* CIP: occasional violations occur after accounting for transaction costs, but they are short-lived and in periods of high market volatility
- under *risk neutrality*, agents are willing to take unboundedly large positions on bets that have a positive expected value => expected forward speculation profits are driven to zero  $\Leftrightarrow$  **UIP**

$$F_t = E_t[S_{t+1}]$$

$$1 + \iota_t = (1 + \iota_t^*) \frac{E_t[S_{t+1}]}{S_t}$$

- *violations* of UIP are common in the data

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# Two-period PE portfolio problem (I)

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- why UIP does not hold?  $\Rightarrow$  risk-averse agents require a **risk premium** if their forex investment is *uncovered*
- interest rate and exchange rate dynamics taken as *given*
- **portfolio problem**: invest (assuming that CIP holds)
  - a fraction of wealth  $\omega$  in a safe domestic bond
  - and the remaining fraction  $1-\omega$  in a foreign bond, *uncovered*
  - next-period wealth is the *payoff* of the bond portfolio

$$\mathcal{W}_{t+1} = \left[ \omega(1 + i_t) + (1 - \omega)(1 + i_t^*) \frac{S_{t+1}}{S_t} \right] \mathcal{W}_t$$

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# Two-period PE portfolio problem (II)

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- agents: **CARA utility** over wealth

$$\mathcal{U}(\mathcal{W}) \equiv -e^{-\gamma \mathcal{W}}, \gamma \geq 0$$

- problem:** by choosing the investment share  $\omega$ , to maximise *expected* utility

$$E_t[\mathcal{U}(\mathcal{W}_{t+1})] = E_t[-e^{-\gamma \mathcal{W}_{t+1}}]$$

- for a **normally distributed** random variable  $Z \sim N(\mu, \sigma^2)$  the *moment generating function* (MGF) is defined by

$$\psi_Z(x) \equiv E[e^{xZ}] \equiv \exp\left(\mu x + \frac{1}{2}\sigma^2 x^2\right)$$

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# Two-period PE portfolio problem (III)

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- if people believe that  $\mathcal{W}_{t+1}$  is **normally** distributed *conditional* on currently available information, with

$$E_t[\mathcal{W}_{t+1}] = \left\{ \omega(1 + l_t) + (1 - \omega)(1 + l_t^*) \frac{E_t[S_{t+1}]}{S_t} \right\} \mathcal{W}_t$$

and

$$Var_t[\mathcal{W}_{t+1}] = \frac{(1-\omega)^2(1+l_t^*)^2 Var_t[S_{t+1}] \mathcal{W}_t^2}{S_t^2}$$

- then maximising the expected CARA utility above is *equivalent* to maximising the simpler **mean-variance function**

$$E_t[\mathcal{W}_{t+1}] - \frac{1}{2} \gamma Var_t[\mathcal{W}_{t+1}]$$

- to see why, substitute  $\mathcal{W}$  for  $Z$ ,  $-\gamma$  for  $x$ ,  $E_t[\mathcal{W}_{t+1}]$  for  $\mu$  and  $Var_t[\mathcal{W}_{t+1}]$  for  $\sigma^2$  in the MGF above and take logs
  - traders are now **mean-variance optimisers**: they like high mean values (return) but dislike variance (risk) in wealth
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# Two-period PE portfolio problem (IV)

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- differentiating the *mean-variance* function w.r.t. to the *choice* variable  $\omega$  and setting the derivative to zero, and then rearranging the FO(N)C for *optimality* yields

$$\underbrace{(1 + l_t) - (1 + l_t^*) \frac{E_t[S_{t+1}]}{S_t}}_{\text{deviation from UIP}} + \underbrace{\frac{\gamma \mathcal{W}_t (1-\omega) (1+l^*)^2 \text{Var}_t[S_{t+1}]}{S_t^2}}_{\text{risk premium} > 0} = 0$$

- which *implicitly* determines the optimal investment  $\omega$
- and *explicitly* defines (derives) a positive **risk premium** that accounts for *deviations* from UIP under risk *aversion*

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# BoP: some terminology

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- **definition:** a summary record of all *economic transactions* between the *residents* of a country and the nonresidents for a given period of time, e.g. a year or a quarter  $\Leftrightarrow$  a *flow* concept
- **structure:** a *table* that obeys a common set of accounting rules and conventions *standardised* by the IMF in its BoP Manual (5th revision, 1993)
- **economic transaction** means the transfer of an economic value from one agent to another: two basic *types* and five *subtypes*
  - **bilateral** (two-way) transfer: **with** *quid pro quo*  $\Rightarrow$  *real-financial*, *real (barter)* or *financial*
  - **unilateral** (unrequited or one-way) transfer: **without** *quid pro quo*  $\Rightarrow$  *real* or *financial*
- **resident**  $\neq$  national or citizen
  - as regards *individuals*, residents are the persons whose general centre of interest is considered to rest in a given economy; in pragmatic terms threshold of one year
  - as regards (international) *enterprises*, definition is more complicated: splitting-up

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# BoP: accounting principles

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- **double-entry book-keeping**
    - each international transaction of residents results in **two entries** with exactly *equal values* but *opposite signs*: a credit (+) and a debit (-)
    - therefore, the total value of debit entries equals the total value of credit entries, so that the **net balance** of all entries is *necessarily zero*
    - a **debit** entry (-) arises when a particular economic transaction gives rise to a *demand* for foreign currency; or, equivalently, when a good (or a service) or an asset (financial and real) is "*imported*" (i.e. purchased from abroad)
    - conversely, all transactions that give rise to a *supply* of foreign currency result in **credit** entries (+) or, equivalently, when a good (or a service) or an asset is "*exported*" (i.e. sold abroad)
  - **timing of recording**: defines when a transaction has taken place
    - *payments* basis: at the time of effecting the *payment*
    - *commitment* basis: at the time of concluding the *contract*
    - *movement* basis: when the economic value *changes ownership* ⇔ IMF rule
  - **uniformity of valuation** of exports and imports: *fob* (not *cif*)
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# BoP: components and (dis)equilibrium

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- **current account** =>  $CA$ : surplus (+) or deficit (-)
    - goods (“visible” trade): exports (+) and imports (-) =>  $TB$
    - services (“invisible” trade): receipts (+) and outlays (-) =>  $BS + TB \equiv NX$ 
      - transport(ation): freight (goods), travel (passengers) and related insurance
      - tourism: expenditures made abroad (food, lodging, local transportation)
      - business and professional services: fees related to use of copyrights/patents
    - (net) factor (or investment) income: receipts (+) and outlays (-) =>  $NFI + NX$ 
      - for use of capital (interest and dividends, yearly) services
      - for use of labour (wages) services
    - unrequited current transfers: receipts (+) and outlays (-) => balance
  - **capital (and financial) account** =>  $KA$ : surplus (+) or deficit (-)
    - unrequited capital transfers: government aid
    - direct investment: FDI (effective voice in management, 10% ownership)
    - portfolio investment: bonds/shares (risk diversification), banking flows
    - up to here:  $KA^P$ ; and **overall balance**,  $OB \equiv CA + KA^P$  (or *basic balance*:  $LT$ )
    - *errors and omissions*
    - **official settlements account** =>  $KA^G$ : loss (+) or gain (-) of reserves
      - monetary gold and “paper” gold (SDRs and reserve position at IMF)
      - foreign currencies and foreign treasury bills (notes, bonds)
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# BoP, NER regime and central bank intervention

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- **BoP accounting identity:**  $CA + \underbrace{KA^P}_{\equiv KA} + \underbrace{KA^G}_{\equiv OB} \equiv CA + \underbrace{KA^P}_{\equiv KA} + \underbrace{KA^G}_{\equiv OB} \equiv 0$
- **under (pure) float**
  - NER is determined by equilibrium in forex market
  - => not possible for a country to have BoP problems: overall balance  $KA^G=0$  so a  $CA$  deficit needs to be financed by a (private) capital account  $KA^P$  surplus, or vice versa:  $CA + KA^P = 0$  or, equivalently,  $-CA = KA^P$
- **under (pure) peg**
  - central banks intervene in forex market: buying or selling foreign currencies, they aim to prevent exchange rate adjustment, automatic under pure float, so that  $\Delta NER = 0$
  - and thus allow the overall balance to be nonzero:  $KA^G \neq 0$
- **central bank balance sheet and intervention policy**
$$MB_t \equiv DC_t + NFA_t^C$$

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# Summary of national accounting identities

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- in the *closed economy*
  - GDP equals GNP, ignoring *capital depreciation*:  $X \equiv Y$
  - summing up all final *expenditure* by sector:  $A \equiv C^P + I^P + \underbrace{C^G + I^G}_{\equiv G}$
  - assuming excess supply is met by *inventory accumulation* in firms:  
 $X \equiv Y \equiv A$
- in the *open economy*: a few (at least two) *modifications*
  1. another sector => *net exports*:  $X \equiv \underbrace{(C^P + I^P + G)}_{\equiv DA} + \underbrace{EX - IM}_{\equiv NX}$
  2. GDP equals GNP *plus NFI*:  $Y \equiv X + NFI$   
substituting 1. in 2. yields:  $Y \equiv DA + \underbrace{(EX - IM) + NFI}_{\equiv CA, \text{ ignoring unrequited transfers}}$

# Real and financial flows in the open economy: an accounting matrix

- a useful way to organise thinking on the role of the *external* sector (or RoW) in *domestic macroanalysis*

market \ sector	private	government	banking	central bank	external	ROW totals
goods and services	$I^P - S^P$	$G - T$	$\sim$	$\sim$	$CA$	$0$
domestic monetary base	$\Delta MB^P$	$\sim$	$\Delta MB^B$	$\Delta MB$	$\sim$	$0$
domestic bank deposits	$\Delta BD^P$	$\sim$	$\Delta BD$	$-$	$\Delta BD^F$	$0$
domestic securities	$\Delta B^P$	$\Delta B$	$\Delta B^B$	$\Delta B^C$	$\Delta B^F$	$0$
foreign money	$S\Delta M^{*P}$	$\sim$	$S\Delta M^{*B}$	$S\Delta M^{*C}$	$S\Delta M^*$	$0$
foreign securities	$S\Delta B^{*P}$	$\sim$	$S\Delta B^{*B}$	$S\Delta B^{*C}$	$S\Delta B^*$	$0$
COLUMN totals	$0$	$0$	$0$	$0$	$0$	$\square$

# The current account (surplus) as

- an excess of *national saving* over **investment**: from 1<sup>st</sup> row

$$CA \equiv (S^P - I^P) + \left[ T - \overbrace{(C^G + I^G)}^{\equiv G} \right]$$

$$CA \equiv S^P + \underbrace{(T - C^G)}_{\equiv S^G} - \underbrace{(I^P + I^G)}_{\equiv I^N}$$

$$CA \equiv \underbrace{S^P + S^G}_{\equiv S^N} - \underbrace{(I^P + I^G)}_{\equiv I^N}$$

$$CAS \equiv CA \equiv -\Delta NFA, \text{ so that } \underbrace{CA + \underbrace{\Delta NFA}_{\equiv KA}}_{\equiv BoP} = 0 \quad \quad CAD \equiv -CA \equiv \Delta NFA, \text{ so that } \underbrace{CA + \underbrace{\Delta NFA}_{\equiv KA}}_{\equiv BoP} = 0$$

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# The current account (surplus) as

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- an excess of **national income** (GNP) over **domestic absorption**  $\equiv$  expenditure of *domestic* sectors on *domestic* output: from 1<sup>st</sup> row

$$CA \equiv \overbrace{\left[ \underbrace{(Y - T)}_{\equiv Y_d} - C^P \right]}^{\equiv S^P} - I^P + (T - G)$$

$$CA \equiv Y - \underbrace{(C^P + I^P + G)}_{\equiv DA}$$

# Overall balance and international reserves

- overall balance equals change in reserves (with a *minus* in BoP)

$$OB \equiv CA + KA^P \equiv -S\Delta IR^{*C} \text{ so that } \underbrace{CA + KA^P}_{\equiv OB} + \underbrace{S\Delta IR^{*C}}_{\equiv KA^G} \overset{\equiv \Delta NFA^C}{=} 0$$

$\underbrace{\hspace{10em}}_{\equiv BoP}$

- economic* (vs. accounting) meaning of:
  - current account as **intErtemporal trade** (change in  $NFA$ )

$$CA \equiv \Delta NFA$$

- overall balance as **supply/demand for reserves** (change in  $NFA^C$ )

$$OB \equiv \Delta NFA^C$$

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# Concluding wrap-up

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- **What have we learnt?**

- how approaches to international finance have evolved
- the basic terminology, definitions, interpretations in OEM
- a compact way to remember and summarise key open-economy macro-relationships

- **Where do we go next?**

to the early models of BoP adjustment, which have employed, in turn, what has become known as the *flow*, *stock* and *stock-flow* approaches to BoP